

Mathematics Syllabus

Subject	Topic Covered
Real Numbers	Euclid's division lemma, Fundamental Theorem of Arithmetic - statements after reviewing work done earlier and after illustrating and motivating through examples, Proofs of results - irrationality of $\sqrt{2}$, $\sqrt{3}$, $\sqrt{5}$, decimal expansions of rational numbers in terms of terminating/non-terminating recurring decimals.
Polynomials	Zeros of a polynomial. Relationship between zeros and coefficients of quadratic polynomials. Statement and simple problems on division algorithm for polynomials with real coefficients.
Pair of Linear Equations in Two Variables	Pair of linear equations in two variables and their graphical solution. Geometric representation of different possibilities of solutions/inconsistency. Algebraic conditions for number of solutions. Solution of a pair of linear equations in two variables algebraically - by substitution, by elimination and by cross multiplication method. Simple situational problems must be included. Simple problems on equations reducible to linear equations may be included.
Quadratic Equations	Standard form of a quadratic equation $ax^2+bx+c=0$, ($a \neq 0$). Solution of the quadratic equations (only real roots) by factorization, by completing the square and by using quadratic formula. Relationship between discriminant and nature of roots.
Arithmetic Progressions	Motivation for studying Arithmetic Progression Derivation of standard results of finding the n th term and sum of first n terms and their application in solving daily life problems.
Triangles	Definitions, examples, counter examples of similar triangles. 1. (Prove) If a line is drawn parallel to one side of a triangle to intersect the other two sides in distinct points, the other two sides are divided in the same ratio. 2. (Motivate) If a line divides two sides of a triangle in the same ratio, the line is parallel to the third side.

TransWeb Educational Services Pvt. Ltd**B – 147,1st Floor, Sec-6, NOIDA, UP-201301**Website: www.askiitians.com Email: info@askiitians.com

Tel:0120-4616500 Ext - 204

	<p>3. (Motivate) If in two triangles, the corresponding angles are equal, their corresponding sides are proportional and the triangles are similar.</p> <p>4. (Motivate) If the corresponding sides of two triangles are proportional, their corresponding angles are equal and the two triangles are similar.</p> <p>5. (Motivate) If one angle of a triangle is equal to one angle of another triangle and the sides including these angles are proportional, the two triangles are similar.</p> <p>6. (Motivate) If a perpendicular is drawn from the vertex of the right angle of a right triangle to the hypotenuse; the triangles on each side of the perpendicular are similar to the whole triangle and to each other.</p> <p>7. (Prove) The ratio of the areas of two similar triangles is equal to the ratio of the squares on their corresponding sides.</p> <p>8. (Prove) In a right triangle, the square on the hypotenuse is equal to the sum of the squares on the other two sides.</p> <p>9. (Prove) In a triangle, if the square on one side is equal to sum of the squares on the other two sides, the angles opposite to the first side are a right triangle.</p>
Coordinate Geometry	Review the concepts of coordinate geometry done earlier including graphs of linear equations. Awareness of geometrical representation of quadratic polynomials. Distance between two points and section formula (internal). Area of a triangle.
Introduction to Trigonometry	Trigonometric ratios of an acute angle of a right-angled triangle. Proof of their existence (well defined); motivate the ratios, whichever are defined at 0° and 90° . Values (with proofs) of the trigonometric ratios of 30° , 45° and 60° . Relationships between the ratios.
Some Applications of Trigonometry	Proof and applications of the identity $\sin 2A + \cos 2A = 1$. Only simple identities to be given.

	Trigonometric ratios of complementary angles.
Circles	<p>Tangents to a circle motivated by chords drawn from points coming closer and closer to the point.</p> <p>1. (Prove) The tangent at any point of a circle is perpendicular to the radius through the point of contact.</p> <p>2. (Prove) The lengths of tangents drawn from an external point to circle are equal.</p>
Constructions	<p>1. Division of a line segment in a given ratio (internally).</p> <p>2. Tangent to a circle from a point outside it.</p> <p>3. Construction of a triangle similar to a given triangle.</p>
Areas Related to Circles	Motivate the area of a circle; area of sectors and segments of a circle. Problems based on areas and perimeter / circumference of the above said plane figures. (In calculating area of segment of a circle, problems should be restricted to central angle of 60° , 90° and 120° only. Plane figures involving triangles, simple quadrilaterals and circle should be taken.)
Surface Areas and Volumes	<p>(i) Problems on finding surface areas and volumes of combinations of any two of the following: cubes, cuboids, spheres, hemispheres and right circular cylinders/cones. Frustum of a cone.</p> <p>(ii) Problems involving converting one type of metallic solid into another and other mixed problems. (Problems with combination of not more than two different solids be taken.)</p>
Statistics	Mean, median and mode of grouped data (bimodal situation to be avoided). Cumulative frequency graph.
Probability	Classical definition of probability. Connection with probability as given in Class IX. Simple problems on single events, not using set notation.