

Class: VI
Subject: Mathematics
Topic: OASK1506SA101
No. of Questions: 30
Duration: 90 Min
Maximum Marks: 90

- 1) What is the product of a whole number (other than zero) and its successor?(give example)

Sol. An even number

Example

Whole number = 1

Successor Of 1 = $1 + 1 = 2$

Their product = $1 \times 2 = 2$

Thus, 2 is an even number

- 2) Find numbers between 1 and 100 having exactly three factors.

Sol. The 3 factors are 1, the prime, and the prime squared (which is the number itself)

factors of 4 are 1,2,4

factors of 9 are 1,3,9

factors of 25 are 1,5,25

factors of 49 are 1,7,49

- 3) How many millimeters make 1 kilometer?

Sol. 1 Kilometer = 1 000 000 Millimeters

- 4) Write the opposite of (I) depositing money in a bank

(II) Increase in population

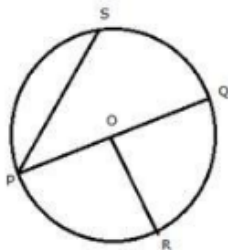
Sol. (I) withdrawing money from a bank

(II) decrease in population

- 5) How many faces and edges has triangular pyramid

Sol . It has 4 faces and 6 edges

- 6) Name all the radii drawn in the given figure:



Sol. Radius of a circle is a line joining the center of circle to any point on the circle. So, the radii drawn in the given figure are OP, OQ and OR

- 7) Find the difference between the place values of 6 and 3 in 256839?

Sol. The place value of 6 in 256839 = 6 thousands = 6000

The place value of 3 in 256839 = 3 tens = 30

\therefore difference = 6000 – 30 = 5970

- 8) Why is it better to use a divider than a ruler, while measuring the length of a line segment?

Sol. The thickness of the ruler sometimes causes an error in placing zero mark at one end of the line segment. To avoid this error we use divider for measuring the length of a line segment

Section B

- 9) Determine whether 25110 is divisible by 45?

Sol. Given number is 25110

Since the last digit of the number is 0, the given number is divisible by 5.

Consider the sum of digits of 25110 = 2 + 5 + 1 + 1 + 0 = 9

Hence sum of digits of 25110 is divisible by 9.

Therefore 25110 is also divisible by 9.

Notice that 25110 is divisible by both 5 and 9, hence it is divisible by 45.

- 10)** On a particular day, the temperature of Delhi at 10 a.m. was 13°C but by the mid-night, it fell down to 6°C . The temperature of Chennai at 10 a.m. the same day was 18°C but fell down to 10°C by the mid-night. Which fall is greater?

Sol. We have,

$$\text{Fall in Delhi's temperature} = 13^{\circ}\text{C} - 6^{\circ}\text{C} = 7^{\circ}\text{C}$$

$$\text{Fall in Chennai's temperature} = 18^{\circ} - 10^{\circ}\text{C} = 8^{\circ}\text{C}$$

$$\text{Clearly, } 8^{\circ}\text{C} > 7^{\circ}\text{C}$$

Hence, fall in temperature of Chennai is greater.

- 11)** Find the estimated quotient $2838 \div 125$ by rounding off the numerator and denominator to the nearest hundreds.

Sol. We find that

$$2838 \text{ rounds off to nearest hundreds as } 2800$$

$$125 \text{ rounds off to nearest hundreds as } 100$$

$$\therefore \text{Estimated quotient} = 2800 \div 100 = 28$$

- 12)** The sum of two integers is 238. If one of the integer integers is -122 , determine the other.

Sol. Let x and y be two integers such that $x + y = 238$

$$\text{Given } x = -122$$

Now,

$$x + y = 238$$

$$\Rightarrow -122 + y = 238$$

$$\Rightarrow y = 238 + 122 = 360$$

So, the other integer is 360

- 13)** Given that the H.C.F. of two numbers is 16 and their product is 6400, determine their L.C.M.

Sol. We know that :

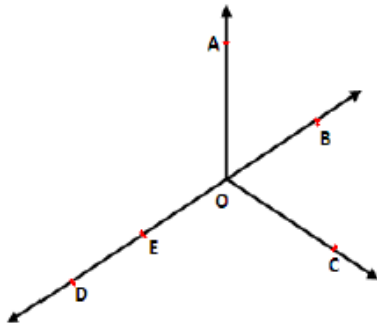
$$\text{H.C.F} \times \text{L.C.M} = \text{product of numbers}$$

$$\therefore \text{L.C.M} = \frac{\text{product of numbers}}{\text{H.C.F}}$$

Here, H.C.F = 16 and the product of numbers = 6400

$$\therefore \text{L.C.M} = \frac{6400}{16} = 400$$

- 14)** Using the figure : Write (a) five line segments
(b) Three rays



Sol. In the given figure

(a) Line segments: \overline{OB} , \overline{OE} , \overline{OD} , \overline{DE} , \overline{BE}

(b) Rays: \overrightarrow{OA} , \overrightarrow{OB} , \overrightarrow{OC}

- 15)** Find the number which when divided by 46 gives quotient 11 and remainder 18.

Sol. We have,

Divisor = 46, Quotient = 11 and Remainder = 18

We have to find the dividend. By Division algorithm we have,

Dividend = Divisor \times Quotient + remainder

$$\Rightarrow \text{Dividend} = 46 \times 11 + 18$$

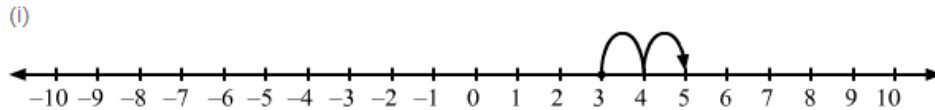
$$\text{Dividend} = 506 + 18 = 524$$

Hence, the required number = 524

Section C

- 16)** Using the number line, write the integer which is
(I) 2 more than 3 (II) 5 less than 3 (III) 4 more than -9

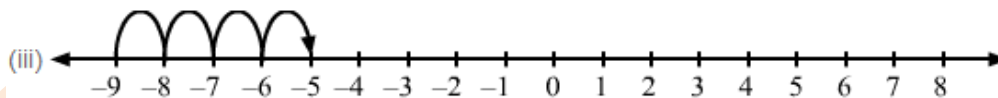
Sol. (I) we want an integer two more than 3. So, on the number line, we will start from 3 and move 2 units to the right to obtain 5.



- (II) we want an integer five less than 3. So, on the number line, we will start from 3 and move 5 units to the left to obtain -2.



- (III) we want an integer four more than -9. So, on the number line, we will start from -9 and move 4 units to the right to obtain -5.



- 17)** A dealer purchased 125 colour television sets. If the cost of each set is Rs 19820, determine the cost of all sets together.

Sol. Cost of 1 colour television set = Rs. 19820

$$\begin{aligned}\therefore \text{cost of 125 colour television sets} &= \text{Rs } (19820 \times 125) \\ &= \text{Rs } 19820 \times (100 + 25) \\ &= \text{Rs } (19820 \times 100) + (19820 \times 25) \\ &= \text{Rs } 1982000 + 495500\end{aligned}$$

= Rs 2477500

18) Write the following in roman numerals?

(A) 5839

(B) 1999

(C) 2359

Sol.

$$(A) 5839 = 5000 + 800 + 30 + 9 = \bar{V} + DCCC + XXX + IX = \bar{V}DCCCXXXIX$$

$$(B) 1999 = 1000 + 900 + 90 + 9 = K + CK + XC + IX = KCKXCIX$$

$$(C) 2359 = 2000 + 300 + 50 + 9 = KK + CCC + L + IX = KKCCCLIX$$

19) Find the greatest number of 6 digits exactly divisible by 24 ,15 and 36

Sol. The number exactly divisible by 24, 15 and 36 must be their L.C.M. So, we first compute the

L.C.M. of 24, 15 and 36 as under :

3	24, 15, 36
2	8, 5, 12
2	4, 5, 6
2	2, 5, 3

$$\therefore \text{L.C.M} = 3 \times 2 \times 2 \times 2 \times 3 = 360$$

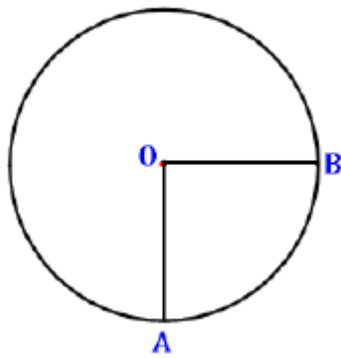
Now, greatest number of 6 digits = 999999.

$$\begin{array}{r}
 360 \overline{) 999999} \quad (277.77 \\
 \underline{720} \\
 2799 \\
 \underline{2520} \\
 2799 \\
 \underline{2520} \\
 2790 \\
 \underline{2520} \\
 2790 \\
 \underline{2520} \\
 279
 \end{array}$$

We find that when 999999 is divided by 360, the remainder 279
 \therefore Greatest number of six digits which is exactly divisible by 360,
 = the L.C.M. of 24, 15 and 36 = 999999 – 279 = 999720

20) Draw a circle and mark (a) arc (b) radius

Sol.



AB is the arc and OA,

OB is radii of the circle

21) To stitch a shirt 2m 15 cm of cloth is needed. How many shirts can be stitched from 40 m of cloth and also find how much cloth is left?

Sol. Given that to stitch one shirt, cloth needed = 2 m 15 cm

$$= 215 \text{ cm (1 m = 100 cm)}$$

Total length of cloth = 40 m

$$= 40 \times 100 = 4000 \text{ cm}$$

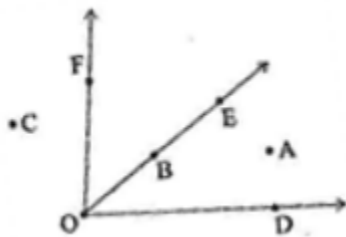
Hence the number of shirts that can be stitched out of 40 m cloth = $4000 \div 215$

$$\begin{array}{r} 18 \\ 215 \overline{)4000} \\ \underline{215} \\ 1850 \\ \underline{1720} \\ 130 \end{array}$$

Thus the number of shirts that can be stitched = 18

Cloth left = 130 cm

22) In fig, name the points which are



(I) in the interior of $\angle DOE$

(II) in the exterior of $\angle EOF$

(III) on $\angle EOF$

Sol : (I) point A lie in the interior of $\angle DOE$

(II) points O and A are in the exterior of $\angle EOF$

(III) point B are on $\angle EOF$

23) Find the values of each of the following using various properties:

- (I) $538 \times 8 + 538 \times 2$ (II) $7869 \times 92 + 7869 \times 8$
(III) $887 \times 10 \times 461 - 361 \times 8870$

Sol. (I) we have

$$\begin{aligned} 538 \times 8 + 538 \times 2 &= 538 \times (8 + 2) && \text{[Using distributive]} \\ &= 538 \times 10 = 5380 && [\because 8 + 2 = 10] \end{aligned}$$

$$\begin{aligned} \text{(II)} \quad 7869 \times 92 + 7869 \times 8 &= 7869 \times (92 + 8) && \text{[Using distributive]} \\ &= 7869 \times 100 = 786900 && [\because 92 + 8 = 100] \end{aligned}$$

$$\begin{aligned} \text{(III)} \quad 887 \times 10 \times 461 - 361 \times 8870 &= (887 \times 10) \times 461 - 361 \times 8870 \\ &= 8870 \times 461 - 8870 \times 361 \\ &= 8870 \times (461 - 361) \\ &= 8870 \times 100 = 887000 \end{aligned}$$

Section D

24) Find the value of

- (I) $-12 + (-98) - (-84) + (-7)$
(II) $50 - (-48) - (-2) - 110$

Sol. We have,

$$\begin{aligned} \text{(I)} \quad -12 + (-98) - 84 + (-7) \\ &= -12 - 98 + 84 - 7 \\ &= (-12 - 98 - 7) + 84 \\ &= -117 + 84 \\ &= -33 \end{aligned}$$

$$\begin{aligned} \text{(II)} \quad 50 - (-48) - (-2) - 110 \\ &= 50 + 48 + 2 - 110 \\ &= (50 + 48 + 2) - 110 \\ &= 100 + (-110) \end{aligned}$$

$$= -10$$

25) A student multiplied 7236 by 65 instead of multiplying by 56. How much was his answer greater than the correct answer?

We have

7236	7236
× 65	× 65
<hr/>	<hr/>
36180	43416
434160	361800
<hr/>	<hr/>
470340	405216

∴ correct answer = 405216

Wrong answer = 470340

Clearly 470340 is greater than 405216

Now

$$\begin{array}{r} 470340 \\ - 405216 \\ \hline 65124 \end{array}$$

Hence , the wrong answer was 65124 greater than the correct answer

26) Give reasons for the following :

- A square can be thought of as a special rectangle.
- A rectangle can be thought of as a special parallelogram.
- A square can be thought of as a special rhombus.
- Squares, rectangles, parallelograms are all quadrilaterals

Sol.

(a) In a rectangle opposite sides are equal and all angles are equal (each 90°). In a square all sides and all angles are equal. Hence we can say that a rectangle with equal sides is a square. Therefore a square is a special rectangle.

(b) In a parallelogram opposite sides are equal and also opposite angles are equal. In a rectangle opposite sides are equal and all angles are equal. Hence we can say that a parallelogram with its all angles equal is a rectangle. Therefore a rectangle is a special parallelogram.

(c) A rhombus has all its sides equal and opposite angles equal. In a square all the sides and the all the angles are equal. Hence a rhombus with all its angles equal is a square. Therefore a square is a special rhombus.

(d) Squares, rectangles, parallelograms are all four sided polygons. Hence they are all quadrilaterals.

- 27)** Two brands of chocolates are available in packs of 24 and 15 respectively. If I need to buy an equal number of chocolates of both kinds, what is the least number of boxes of each kind I would need to buy?

Sol. Let the brand 'A' contains 24 chocolates in one packet and brand 'B' contain 15 chocolates in one packet.

We need to find the L.C.M of 15 and 24

2		15, 24
2		15, 12
2		15, 6
3		15, 3
5		5, 1
		1, 1

$$\text{Required LCM} = 2 \times 2 \times 2 \times 3 \times 5 = 120$$

Therefore, minimum 120 chocolates of each kind should be purchased.

$$\text{Number of boxes of Brand 'A' which needs to be purchased} = 120 \div 24 = 5$$

$$\text{Number of boxes of Brand 'B' which needs to be purchased} = 120 \div 15 = 8$$