

Class: VII
Subject: Math's
Topic: Congru of triangle
No. of Questions: 20

Q1. If two angle are _____, their measure are same.

Sol. Congruent

Q2. The sum of an exterior angle of a triangle and its adjacent interior angle is _____

Sol. Right angles

Q3. In an Isosceles triangle base angle opposite to the equal sides are _____.

Sol. Equal

Q4. The side opposite to the right angle is called the _____ of the right-angles triangle.

Sol. Hypotenuse

Q5. Given below are measurements of some parts of two triangles. Examine whether the two triangles are congruent or not, by using SAS congruence rule. If the triangles are congruent, write them in symbolic form.

In $\triangle ABC$, $BC = 6$ cm, $AC = 4$ cm, $\angle B = 35^\circ$ and in $\triangle DEF$, $DF = 4$ cm, $EF = 6$ cm, $\angle E = 35^\circ$.

Sol. Here, $BC = EF$, $AC = DF$ and $\angle B = \angle E$.

But $\angle B$ is not the included angle between the sides AC and BC . Similarly, $\angle E$ is not the included angle between the sides EF and DF . So, SAS congruence rule cannot be applied and we cannot conclude that the two triangles are congruent.

Q6. According to Pythagoras property, in a right-angled triangle, the square on the _____ = sum of the squares on the legs.

- a. Right angle
- b. Altitude
- c. Hypotenuse
- d. None of these

Sol. C (Fact)

Q7. You want to show that $\Delta ART \cong \Delta PEN$, if you have to use SSS criterion, then you need to show $AR =$

- a. PN
- b. EN
- c. $\angle P$
- d. PE

Sol. A

Q8. Complete the following statements:

- a. Two line segments are congruent if _____.
- b. Among two congruent angles, one has a measure of 70° ; the measure of the other angle is _____.
- c. When we write $\angle A = \angle B$, we actually mean _____.

Sol.

- a. They have the same length
- b. 70°
- c. $m \angle A = m \angle B$

Q9. Give any two real-life example for congruent shapes.

Sol.

- a. Sheet of same letter pad
- b. Biscuits in the same packet

Q10. If triangle $DEF \cong$ triangle BCA , write the part (s) of triangle BCA that correspond to

- a. $\angle E$
- b. \overline{EF}
- c. $\angle F$
- d. \overline{DF}

Sol.

- a. $\angle C$
- b. \overline{CA}
- c. $\angle A$
- d. \overline{BA}

Q11. You want to show that $\triangle ART \cong \triangle PEN$,

(a) If you have to use SSS criterion, then you need to show

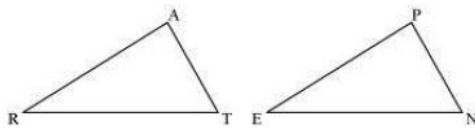
- (i) $AR =$
- (ii) $RT =$
- (iii) $AT =$

(b) If it is given that $\angle T = \angle N$ and you are to use SAS criterion, you need to have

- (i) $RT =$ and (ii) $PN =$

(c) If it is given that $AT = PN$ and you are to use ASA criterion, you need to have

- (i) ? (ii) ?



Sol. (a)

- (i) $AR = PE$
- (ii) $RT = EN$
- (iii) $AT = PN$

(b)

(i) $RT = EN$

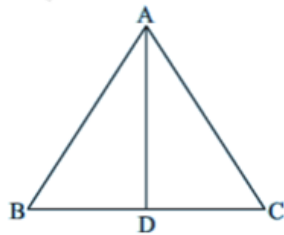
(ii) $PN = AT$

(C)

(i) $\angle ATR = \angle PNE$

(ii) $\angle RAT = \angle EPN$

Q12. In the following figure, $AB = AC$ and D is the mid-point of BC , Is $\triangle ADB \cong \triangle ADC$? Give reasons.



Sol. Yes, $\triangle ADB \cong \triangle ADC$ (By SSS congruence criterion)

Q13. Which congruence criterion do you use in the following?

Given: $EB = DB$, $AE = EC$, $\angle A = \angle C = 90^\circ$. So, $\triangle ABE \cong \triangle CDE$

- a. SAS rule
- b. SSS rule
- c. ASA rule
- d. RHS rule

Sol. A

Q14. $\triangle ABC$ and $\triangle PQR$ are congruent under the correspondence:

$$ABC \leftrightarrow RQP$$

Write the parts of $\triangle ABC$ that correspond to

- (i) \overline{PQ}
- (ii) $\angle Q$
- (iii) \overline{RP}

Sol. For better understanding of the correspondence, let us use a diagram (Fig. 7.7).

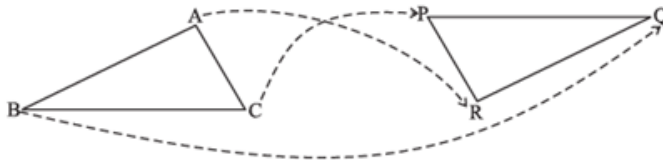


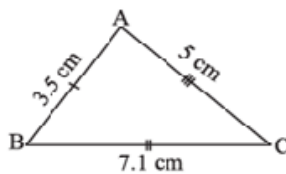
Fig 7.7

The correspondence is $ABC \leftrightarrow RQP$. This means

So, (i) $\overline{PQ} \leftrightarrow \overline{CB}$ (ii) $\angle Q \leftrightarrow \angle B$ and (iii) $\overline{RP} \leftrightarrow \overline{AC}$

Q15. In triangles ABC and PQR , $AB = 3.5$ cm, $BC = 7.1$ cm, $AC = 5$ cm, $PQ = 7.1$ cm, $QR = 5$ cm and $PR = 3.5$ cm. Examine whether the two triangles are congruent or not.

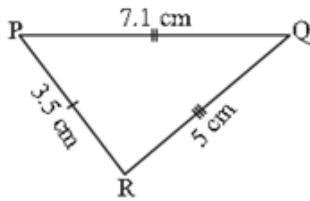
If yes, write the congruence relation in symbolic form.



Sol. Here, $AB = PR (= 3.5$ cm),

$$BC = PQ (= 7.1$$
 cm)

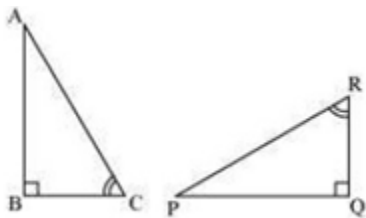
And $AC = QR (= 5$ cm)



This shows that three sides of one triangle are equal to the three sides of the other triangle. So, by SSS congruence rule, the two triangles are congruent. From the above three equality relations, it can be easily seen that $A \leftrightarrow R$, $B \leftrightarrow P$ and $C \leftrightarrow Q$.

So, we have $\Delta ABC \cong \Delta RPQ$

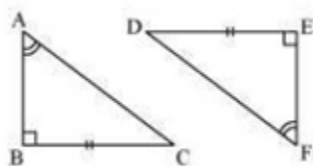
- Q16. If ΔABC and ΔPQR are to be congruent, name one additional pair of corresponding parts. What criterion did you use?



Sol. $BC = QR$
 $\Delta ABC \cong \Delta PQR$ (ASA criterion)

- Q17. Explain, why

$\Delta ABC \cong \Delta FED$



Sol. Give that, $\angle ABC = \angle FED$ (1)
 $\angle BAC = \angle EFD$ (2)

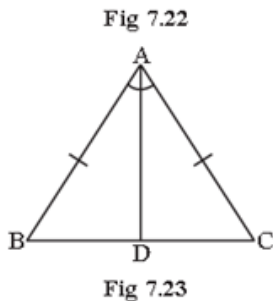
The two angles of $\triangle ABC$ are equal to the respective angles of $\triangle FED$. Also, the sum of all interior angles of a triangle is 180° . Therefore, third angle of both triangles will also be equal in measure.

$$\angle BCA = \angle EDF \text{ (3)}$$

So ASA congruency can be applied to prove the above statement

Q18. In Fig 7.23, $AB = AC$ and AD is the bisector of $\angle BAC$.

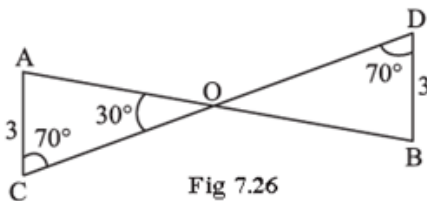
- State three pairs of equal parts in triangle ADB and ADC .
- Is $\triangle ADB \cong \triangle ADC$? Give reasons.
- Is $\angle B = \angle C$ Give reasons.



Sol.

- The three pairs of equal parts are as follows:
 $AB = AC$ (Given)
 $\angle BAD = \angle CAD$ (AD bisects $\angle BAC$) and $AD = AD$ (common)
- Yes, $\triangle ADB \cong \triangle ADC$ (By SAS Congruence rule)
- $\angle B = \angle C$ (Corresponding parts of congruent triangles)

Q19. In Fig. 7.26, can you use ASA congruence rule and conclude that $\triangle AOC \cong \triangle BOD$?



Sol. In the two triangles AOC and BOD , $\angle C = \angle D$ (each 70°)

Also, $\angle AOC = \angle BOD = 30^\circ$ (vertically opposite angles)

So, $\angle A$ of $\triangle AOC = 180^\circ - (70^\circ + 30^\circ) = 80^\circ$

(using angle sum property of a triangle)

Similarly, $\angle B$ of $\triangle BOD = 180^\circ - (70^\circ + 30^\circ) = 80^\circ$

Thus, we have $\angle A = \angle B$, $AC = BD$ and $\angle C = \angle D$

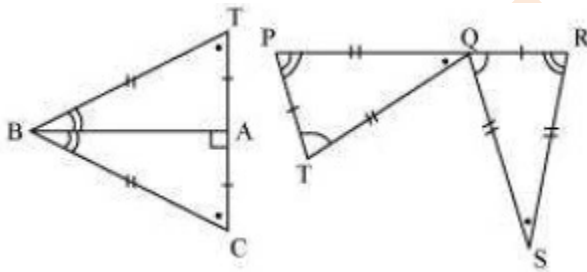
Now, side AC is between $\angle A$ and $\angle C$ and side BD is between $\angle B$ and $\angle D$.

So, by ASA congruence rule, $\triangle AOC \cong \triangle BOD$.

Q20. Complete the congruence statement:

$\triangle BCA \cong ?$

$\triangle QRS \cong ?$



Sol. Give that, $BC = BT$

$AT = CA$

BA is common.

Therefore, $\triangle BCA \cong \triangle BTA$

Similarly, $PQ = RS$

$TQ = QS$

$PT = RQ$

Therefore, $\triangle QRS \cong \triangle TPQ$